# Economic Modeling for Aquatic Invasive Weed Management in the California Bay-Delta 

by

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## Economics of invasive aquatic weeds.

- The presence of aquatic weeds causes a variety of damages to different agencies operating on the Delta.
- Marinas can lose business when slips become weed choked or access to dry docks are blocked.
- Mosquito and vector control districts may need to increase surveillance and testing of mosquitos for West NileVirus in surface aquatic weed patches.


## Economics of invasive aquatic weeds.

## Cost of Invasvie Weed Control - California Bay Delta

|  | $\underline{2013}$ | $\underline{2014}$ | $\underline{2015}$ |
| :---: | :---: | :---: | :---: |
| Public Agencies |  |  |  |
| Port of Stockton | 50,602 | \$305,827 | \$168,000 |
| Bureau of Reclamation | 343,085 | \$832,803 | \$921,000 |
| Weed Control District - San Joaquin County | 222,506 | \$72,849 | \$36,940 |
| Weed Control District - Contra Costa | 74,169 | \$0 | \$0 |
| Marinas | 169,202 | \$576,206 | \$792,887 |
| Total | \$859,564 | \$1,787,685 | \$1,918,827 |

## Economics of invasive aquatic weeds.

- To prevent these damages different agencies control both submerged and surface weeds.
- Bioeconomic model is being developed to estimate the costs of invasive weed management for different management alternatives.


## Economics of invasive aquatic weeds.

- The economic objective is to minimize the costs over time $t$ of management $m$ by each agency $j$ and each site $k$, and the cost of damages $d$ for each agency and site.

$$
\min \sum_{t} C_{t}=\sum_{j} \sum_{k} \sum_{m} C_{j k m t}+\sum_{j} \sum_{k} \sum_{d} C_{j k d t}
$$

- For $\mathrm{j}=\mathrm{I}, \ldots \mathrm{J} ; \mathrm{k}=\mathrm{I}, . . \mathrm{K} ; \mathrm{m}=\mathrm{I}, \ldots \mathrm{M} ; \mathrm{d}=\mathrm{I}, \ldots \mathrm{D}$ and $\mathrm{t}=\mathrm{I}, \ldots \mathrm{T}$.


## Economics of invasive aquatic weeds.

- The cost of weeds depend on
- the level of infestation at each site $\mathrm{j}, \mathrm{I}_{\mathrm{j}}$, and
- the quantity of inputs used, $q$, and cost of the inputs, w, used to manage weeds for a given infestation level.

$$
C_{j k m t}=\Lambda_{j k m t}\left(\bar{w}_{j k m}, \bar{q}_{j k m} ; I_{j t}\right)
$$

- the value of damages for a given infestation level.

$$
C_{j k d t}=\Lambda_{j k d t}\left(\bar{w}_{j k d}, \bar{q}_{j k d} ; I_{j t}\right)
$$

## Demonstration of economic model

- For demonstration purposes we assume that there are two sites of interest.
- At each site $j$ the level of infestation $I_{j t}$ in time $t$ depends on
- spread within the site based on the previous time period level of infestation
- inflows from other regions
- outflows to other regions


## Demonstration of economic model using a 2 site model.

- Site $I$ is upstream from site 2 and has only outflows (for example this could be a nursery site). Assumed that I.5\% of existing level of weeds in site I flows out of the site.
- Site 2 is downstream from site I and has only inflows (for example this could be a slough where extra mosquito monitoring is needed). One percent of the outflows from site I flow into site 2.
- Spread within a site follows a logistic model.

$$
I_{j t}=\frac{\alpha_{j}}{1+\beta_{j} e^{-\mu_{j} I_{j i-1}}}=\frac{10}{1+10_{j} e^{-0.5 I_{j t-1}}}
$$

- Note that for the demonstration each site is identical.


## Weeds infestations with no treatment

## Infestation With No

Treatment at site I


## Infestation With No

Treatment at site 2


## Demonstration of economic model

- Simulation Objective: When should the infestation be managed so that total costs are minimized?
- Compare management and damage costs for infestations treated when they reach the following levels in each site:
- 3 acres
- 4 acres
- 5 acres
- 6 acres
- 8 acres


## Results for minimum cost treatment simulation for each acreage assumption.

|  | 3 acres |  | 4 acres |  | 5 acres |  | 8 acres |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Weed Control Only |  |  |  |  |  |  |  |  |
|  | Times |  | Times |  | Times |  | Times |  |
|  | Treated | Cost | Treated | Cost | Treated | Cost | Treated | Cost |
| Total |  | 154 |  | 104 |  | 117 |  | 97 |
| Site 1 | 2 | 65 | 1 | 35 | 1 | 37 | 1 | 44 |
| Site 2 | 3 | 89 | 2 | 68 | 2 | 80 | 1 | 53 |
| Weed Control Plus Downstream Damages |  |  |  |  |  |  |  |  |
| Total |  | 2,601 |  | 2,850 |  | 2,959 |  | 3,191 |
| Site 1 | 2 | 1,285 | 1 | 1,374 | 1 | 1,396 | 1 | 1,468 |
| Site 2 | 3 | 1,315 | 2 | 1,476 | 2 | 1,563 | 1 | 1,723 |

## Demonstration of economic model

- The cost minimizing management decision is 8 acres.
- At this level of control the cost to managing invasive aquatic weeds is $\$ 97$.
- When both the management and damage costs are considered though the cost minimizing solution is 3 acres.
- At this level of control total costs are $\$ 2,601$ : however, management costs are at their highest at \$154.


## Demonstration of economic model

- In reality management decisions are typically undertaken with budget constraints in mind.
- For example, if we assume that total management costs cannot exceed \$120 a year, the budget-constrained cost minimization solution is to manage invasive weeds when infestations reach 4 acres.
- At this level management costs are $\$ 104$ and total costs are $\$ 2,850$.


## Conclusions

- Simplified model, but useful for showing how different economic and biological factors come into play when deciding the optimal management strategy.
- Model can be used both for determining the cost minimizing solution given existing technologies and for estimating the benefits of new technologies.
- Cost minimizing solution for one agency may not be the cost-minimizing solution for another or for society as a whole.


## Conclusions

- The optimal solution may not be a marginal change in management.
- The optimal solution may involve a shift to a choice when infestations are much smaller.
- Such a shift may require more resources to improve the timing of control.
- Solution becomes a social/political decision, in addition to a bioeconomic decision.

